

# Computer Graphics - Exercise 2

## 3.1.1

(a)

The more obtuse the triangle, the more acute the angle of the corner of the voronoi area gets. Because the both sides of this corner has to be in a  $90^\circ$  angle to the sides of the traingle.

(b)

The formula for calculating the surface of a triangle is:  $\frac{1}{2} * h * b$  As for the red triangle:  $\frac{1}{2} * h * b$  with:  $h = \frac{\|p_i - p_j\|}{2}$  and  $b = b_1 + b_2$  where  $b_1$  is left part of the baseline facing  $\alpha_{ij}$  and  $b_2$  is the right one facing  $\beta_{ij}$ .

(c)

## 3.1.2

(a)

We know every vertex( $v$ ) has three edges( $e$ ) and 2 faces( $f$ ). In addition every edge( $e$ ) can separated into two half edges ( $e_h$ ), this means  $e_h = 2 * e = 6 * v$ .

If we add the memory for every part it results in a formula:

$$\begin{aligned} \text{memory} &= v * 16\text{bytes} + e * 4\text{bytes} + e_h * 16\text{bytes} + f * 4\text{bytes} \\ &\rightarrow \text{through assumptions:} \\ \text{memory} &= v * (16 + 3 * 4 + 6 * 16 + 2 * 4)\text{bytes} = v * 132\text{bytes} \end{aligned}$$

(b)

Because in a quad mash two triangles are combined into one quad, the resulting faces will be reduced by a half. The resulting ratio will be 1:3:1 (for v : e : f)

(c)

We know every vertex( $v$ ) has three edges( $e$ ) and one face( $f$ ). In addition every edge( $e$ ) can separated into two half edges ( $e_h$ ), this means  $e_h = 2 * e = 6 * v$ .

If we add the memory for every part it results in a formula:

$$\begin{aligned} \text{memory} &= v * 16\text{bytes} + e * 4\text{bytes} + e_h * 16\text{bytes} + f * 4\text{bytes} \\ &\rightarrow \text{through assumptions:} \\ \text{memory} &= v * (16 + 3 * 4 + 6 * 16 + 1 * 4)\text{bytes} = v * 132\text{bytes} \end{aligned}$$